Discussion of "Anatomy of the Phillips Curve: Micro Evidence and Macro Implications" by L. Gagliardone, M. Gertler, S. Lenzu & J. Tielens

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- Recent measurements of "the Phillips Curve" suggest a very flat (or at least flattening) slope
- This paper: "The report of [its] death was an exaggeration"

- Approach: Dynamic pass-through regressions at the firm level on Belgian quarterly micro-data from 1999 to 2019
- Regression results imply
 - $\circ\,$ a sizable elasticity of inflation to real marginal cost
 - o a low elasticity of mg. cost to the output gap
 - $\circ~$ all is well with the world

• Quantitatively

 $\circ~$ elasticity of inflation to real mg cost $\lambda \approx 0.06$

- $\,\circ\,$ elasticity of the output gap to real mg cost $\sigma_y \approx 0.2 0.3$
- $\circ~$ implied slope of the output gap Phillips curve $\kappa \approx 0.01-0.02$

consistent with values in Rotemberg & Woodford (1997); Woodford (2003b)

- Along the way, find
 - $\circ\,$ strong strategic complementarities : elasticity of firms' desired prices to competitors' prices $\Omega\approx 0.55$
 - $\,\circ\,$ substantial nominal rigidity: implied Calvo parameter $\theta\approx 0.7$

consistent with LR values in Amiti, Itskhoki & Konings (2019), evidence on freq($\Delta p)$ from micro data

Discussion

- Excellent paper with a clear "bottoms-up" approach to estimating structural Phillips curve params from micro data
- Reinforces the point that we should no longer attempt to estimate slope of the Phillips curve using aggregate data
- Empirical approach informed by canonical New Keynesian model with Calvo price rigidities + str. complementarities \rightarrow provides benchmark estimates for the literature
- Gives valuable guidance for where to direct modeling and measurement efforts

Discussion

From macro to micro

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From model to data

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Extensions

From Macro to Micro

- Estimating the structural Phillips curve: key for monetary analysis; fraught with challenges
- Endogeneity makes very clear the limitations of trying to use aggregated data (?)

From Macro to Micro

- Rather than attempting to estimate an aggregate structural equation, this paper uses micro data to get measures of the micro structural parameters
 - specifically: elasticities of firm-level prices to firm-level variation in mg cost and in competitors' prices
 - generalizing static LR pass-through regressions (e.g., Amiti et al. (2019)) to dynamic SR pass-through regressions

• Amiti et al. (2019) - flex price firm, annual data: static

$$p_{ft} = \Omega_{mc} \left(mc_{ft}^{n} + u_{ft} \right) + \Omega \, p_{it}^{-f}$$

and cannot reject null that $\Omega_{\textit{mc}} = 1 - \Omega$

• Here – Calvo firm, quarterly data: dynamic pass-through from the theoretical reset price of Calvo model:

 \sim

$$p_{ft}^{o} = (1 - \beta \theta) \sum_{\tau=0}^{\infty} (\beta \theta)^{\tau} E_t \left\{ p_{ft+\tau}^{flex} \right\}$$
$$p_{ft+\tau}^{flex} = \left[(1 - \Omega) \left(mc_{ft+\tau}^n + u_{ft+\tau} \right) + \Omega p_{it+\tau}^{-f} \right]$$

use

$$p_{ft} = (1 - \theta)\hat{p}_{ft}^o + \theta p_{ft-1} + \varepsilon_{ft}$$
$$\hat{p}_{ft}^o = (1 - \Omega) DPV(MC_{ft,T}^n) + \Omega DPV(P_{it,T}^{-f})$$

Discussion

- Advantage of using micro data is not just that it helps address the endogeneity in the terms of the aggregate Phillips curve
- I would add: Micro variation allows us to estimate micro elasticities without needing to fully specify the macro model
- In this particular context: we do not even know the form of the structural Phillips curve

• e.g., form of lags and/or leads of inflation and/or slack?

• My main Q: to what extent can we unshackle the empirical specification from the Calvo-based NKPC assumptions?

Relaxing the Empirical Specification

- Allow for deviations to
 - dispersed information and imperfect common knowledge e.g. Woodford (2003a) dampening of HOBs
 - $\circ\,$ non-Calvo price rigidity e.g. ? estimate menu cost + errors in pricing is close to matching U.S. data
 - bounded rationality e.g. apply **?** finite horizon optimization to the optimal reset price
- For example, for small *h*, would be interesting to see unconstrained regression coeffs in

$$\hat{p}_{ft}^{o} = \sum_{h} \phi_{1,h} m c_{t+h} + \sum_{h} \phi_{2,h}(p_{it+h}^{-f})$$

Conclusion

• A very nice paper, both because of the clarity of its analysis and contribution, and also because of the avenues for further research that it opens

References I

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